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Transforming light and space



Classicroof
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Formulae Guide

V4 | March 2016

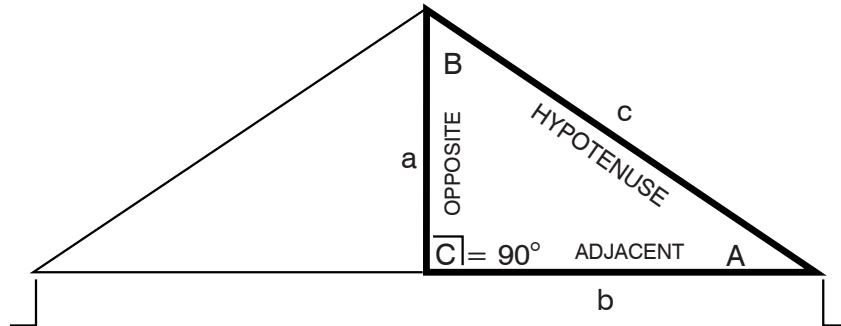
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TRIGONOMETRY

REMEMBER SOH - CAH - TOA FROM SCHOOL

WE USE THE ABOVE FOR CALCULATING CONSERVATORY ROOFS.
BELOW WE HAVE HALF A CONSERVATORY ROOF.



IF ONE ANGLE IS A RIGHT (90°) ANGLE, THE TRIANGLE IS A RIGHT OR RIGHT ANGLED TRIANGLE. THE SUM OF THE THREE ANGLES IN EVERY RIGHT ANGLED TRIANGLE IS 180 DEGREES.

THE SIDES OF THE TRIANGLE ARE KNOWN AS

a = OPPOSITE b = ADJACENT c = HYPOTENUSE

A = THE PITCH OF THE ROOF

S SIN = SINE

SOH

$\text{SIN } A = \text{OPP} \div \text{HYP}$

C COS = COSINE

CAH

$\text{COS } A = \text{ADJ} \div \text{HYP}$

T TAN = TANGENT

TOA

$\text{TAN } A = \text{OPP} \div \text{ADJ}$

COSEC = COSECANT

$\text{COSEC } A = \text{HYP} \div \text{OPP}$

SEC = SECANT

$\text{SEC } A = \text{HYP} \div \text{ADJ}$

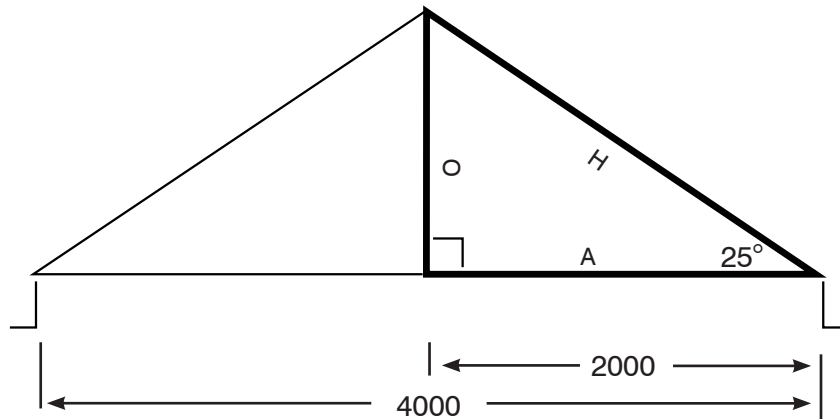
COT = COTANGENT

$\text{COT } A = \text{ADJ} \div \text{OPP}$

EXAMPLE

SCIENTIFIC CALCULATOR NEEDED

NOTE: THE SYMBOL DEG (DEGREES) NEEDS TO BE VISIBLE ON TOP LINE OF CALCULATOR OR SET TO DEG.



1. INTERNAL WIDTH OF CONSERVATORY = 4000MM
2. HALF INTERNAL WIDTH = 2000MM
3. KNOWN PITCH = 25°
4. HEIGHT OF TRIANGLE (OPPOSITE HEIGHT)

TO CALCULATE DIMENSION 'O'

$\text{TAN } 25^\circ = \text{OPPOSITE} \div \text{ADJACENT}$

$$\therefore O = A \times \text{TAN } 25^\circ$$

$$\therefore O = 2000 \times \text{TAN } 25^\circ = 932.6$$

$$\therefore O = 932.6\text{MM}$$

IF ANGLE 25° IS NOT KNOWN BUT DIMENSION O IS KNOWN THEN

$\text{TAN } X = O \div A$

$$\therefore \text{TAN } X = 932.6 \div 2000 =$$

$$\therefore 932.6 \div 2000 = 0.4663^*$$

$$\therefore \text{TAN } 0.4663 = 25^\circ$$

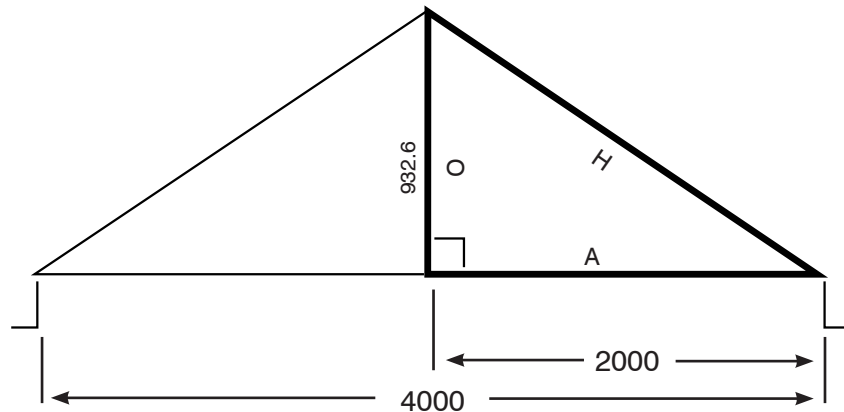
COTAN OR TAN^{-1} NEEDS TO BE OBTAINED FROM A SCIENTIFIC CALCULATOR.

PLEASE NOTE: THE ORDER IN WHICH DIGITS ARE PRESSED ON A SCIENTIFIC CALCULATOR CAN VARY DEPENDING ON MODEL.

*PROCESS : $932.6 \div 2000 = 0.4663$. NEXT PRESS 2ND F, SHIFT OR INV DIGIT. NEXT PRESS TAN DIGIT. NEXT PRESS = DIGIT.

ANSWER = 24.9996°

EXAMPLE



PYTHAGORAS THEOREM

THIS IS USED WHEN 2 SIDES ARE KNOWN IN A RIGHT ANGLED TRIANGLE AND YOU WANT TO KNOW THE THIRD

$$H^2 = O^2 + A^2$$

$$O^2 = H^2 - A^2$$

$$A^2 = H^2 - O^2$$

ON THE ABOVE EXAMPLE TO FIND LENGTH H

$$H^2 = O^2 + A^2$$

$$H^2 = 932.6^2 + 2000^2 (932.6 \times 932.6 + 2000 \times 2000)$$

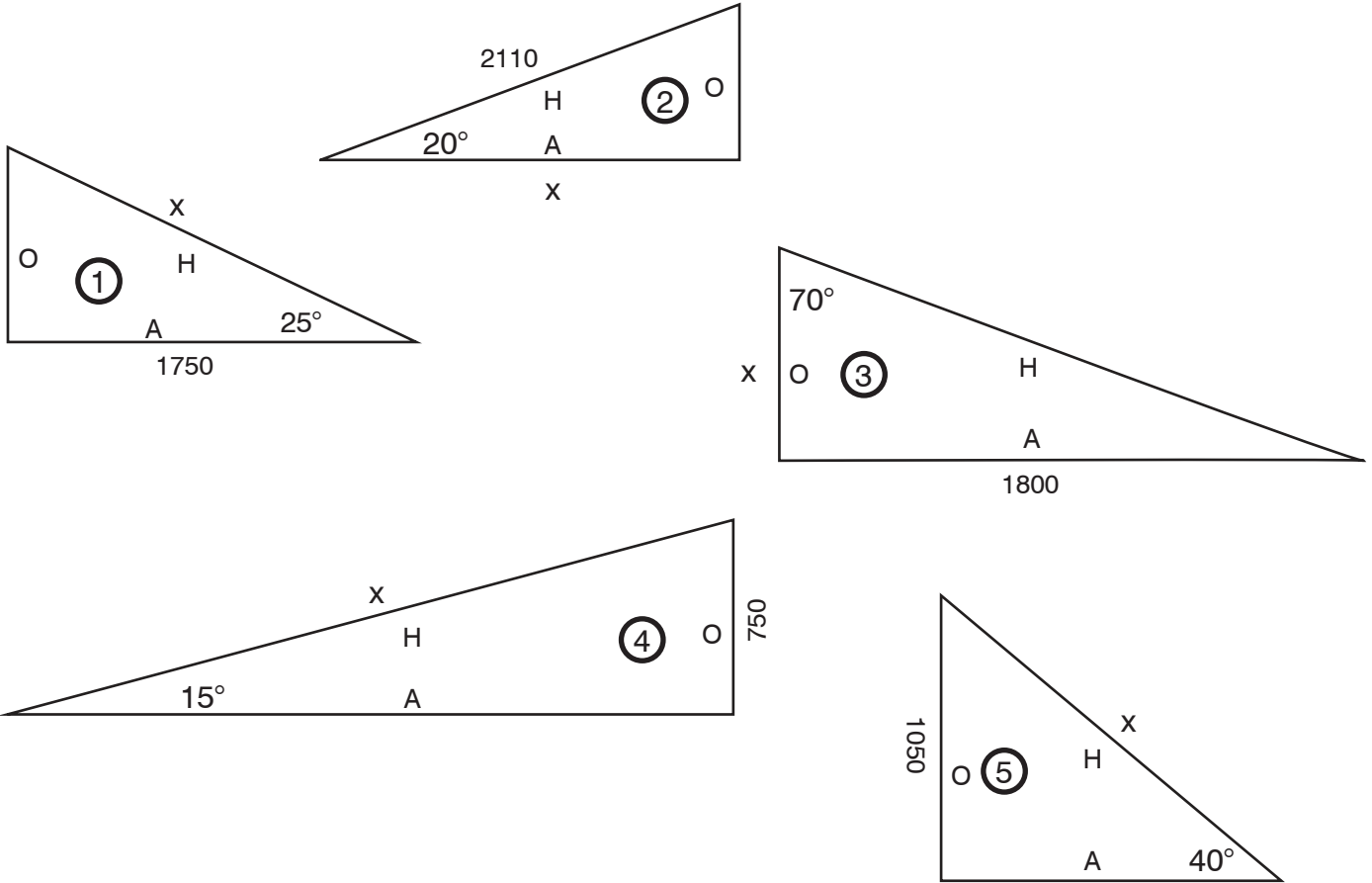
$$H^2 = 869742.76 + 4000000$$

$$H^2 = 4869742.76$$

$$H = 4869742.76 (\sqrt{} = \text{SQUARE ROOT}) \text{ PRESS } \sqrt{} \text{ SYMBOL}$$

$$H = \mathbf{2206.7}$$

FIND DIMENSION X



1. $\cos P = A \div H \therefore H = A \div \cos P \therefore H = 1750 \div \cos 25 = (H = 1931)$

2. $\cos P = A \div H \therefore A = H \times \cos P \therefore A = 2110 \times \cos 20 = (A = 1983)$

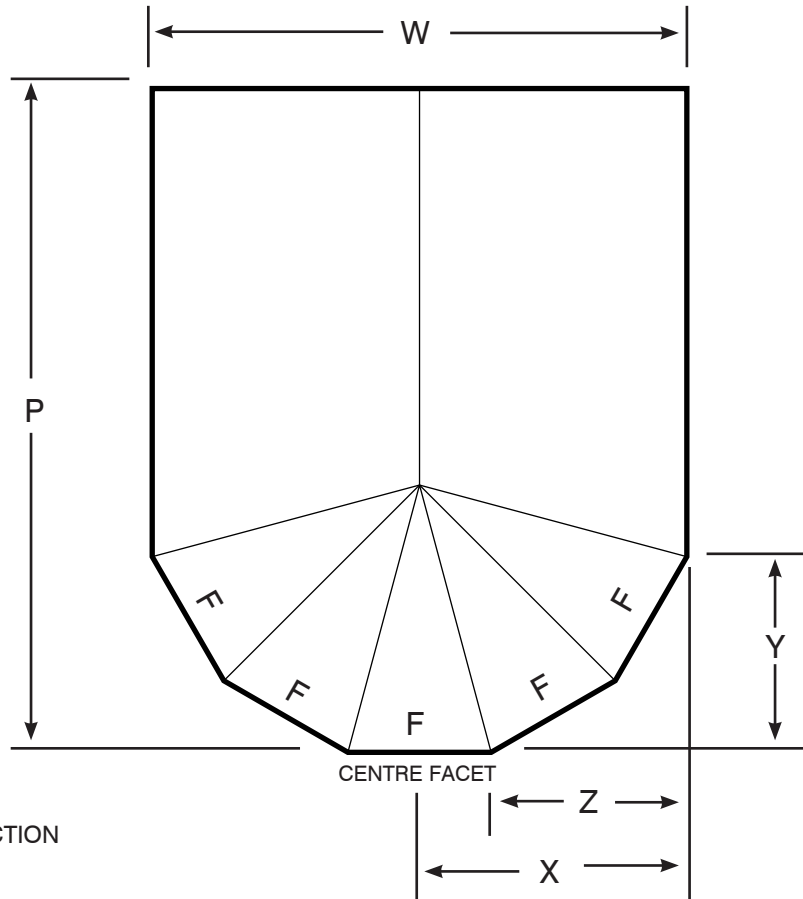
3. $\tan P = O \div A \therefore O = A \times \tan P \therefore O = 1800 \times \tan 20 = (O = 655)$

4. $\sin P = O \div H \therefore H = O \div \sin P \therefore H = 750 \div \sin 15 = (H = 2898)$

5. $\sin P = O \div H \therefore H = O \div \sin P \therefore H = 1050 \div \sin 40 = (H = 1633)$

HOW TO CALCULATE

EQUAL INTERNAL ANGLES, FACET SIZES & BAY PROJECTIONS
ASSUMING EQUAL FACET SIZES WITH EQUAL INTERNAL
ANGLES



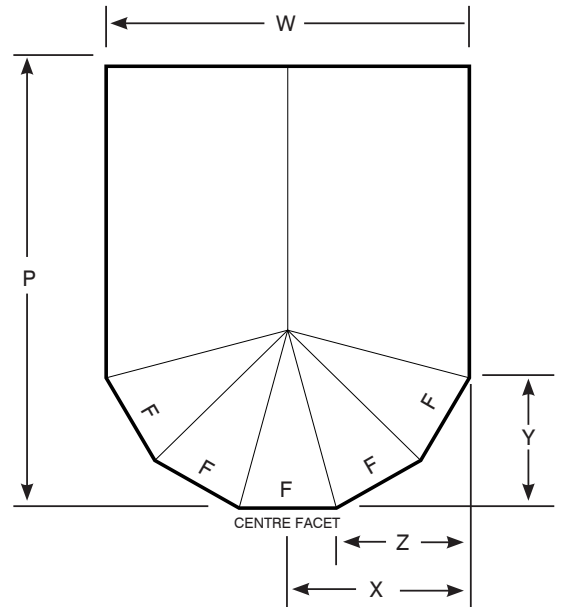
W = INTERNAL WIDTH
 P = INTERNAL PROJECTION

NOTE: IF ODD NO OF FACETS SELECTED (IE 5, 7 ETC) DIMENSION Y & Z ARE THE SAME.
IF EVEN NUMBER OF FACETS SELECTED (IE 6, 8 ETC) DIMENSION X ALWAYS HALF
INTERNAL WIDTH. FOR DIMENSION Y , USE THE FORMULA ON PAGE 9.

HOW TO CALCULATE EQUAL INTERNAL ANGLES

FOR EACH ADDITIONAL FACET ADD 180° THEN DIVIDE BY
THE NUMBER OF INTERNAL ANGLES

1 FACET = 180°	STRAIGHT LINE
2 FACETS = 360°	3 INTERNAL ANGLES @ 120.0°
3 FACETS = 540°	4 INTERNAL ANGLES @ 135.0°
4 FACETS = 720°	5 INTERNAL ANGLES @ 144.0°
5 FACETS = 900°	6 INTERNAL ANGLES @ 150.0°
6 FACETS = 1080°	7 INTERNAL ANGLES @ 154.3°
7 FACETS = 1260°	8 INTERNAL ANGLES @ 157.5°
8 FACETS = 1440°	9 INTERNAL ANGLES @ 160.0°
9 FACETS = 1620°	10 INTERNAL ANGLES @ 162.0°
10 FACETS = 1800°	11 INTERNAL ANGLES @ 163.6°
11 FACETS = 1980°	12 INTERNAL ANGLES @ 165.0°
12 FACETS = 2160°	13 INTERNAL ANGLES @ 166.2°
13 FACETS = 2340°	14 INTERNAL ANGLES @ 167.1°
14 FACETS = 2520°	15 INTERNAL ANGLES @ 168.0°



OR ALTERNATIVELY DIVIDE 180 BY THE NUMBER OF INTERNAL ANGLES AND SUBTRACT
THE RESULT FROM 180, FOR EXAMPLE: 7 FACETS - 8 INTERNAL ANGLES

$$180 \div 8 = 22.5. \quad 180 - 22.5 = 157.5$$

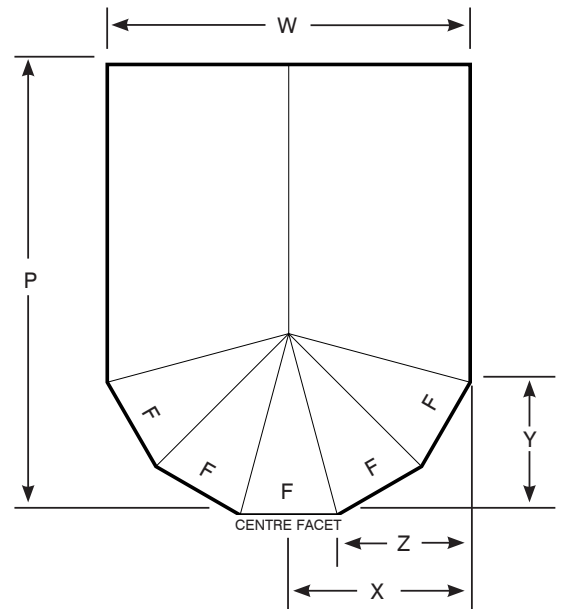
HOW TO CALCULATE

EQUAL FACET SIZES 'F'

THE FORMULA FOR EQUAL FACET SIZES IS:
180 DIVIDED BY THE NUMBER OF INTERNAL ANGLES =
DIVIDED BY 2 = TAN = x THE INTERNAL WIDTH

EXAMPLE: TO FIND THE FACET LENGTHS ON A 3 FACET VICTORIAN CONSERVATORY
 $180 \div 4 = 45 \div 2 = 22.5$. PRESS TAN = 0.4142 X THE INTERNAL WIDTH (EG. 3000MM)
GIVES THE INTERNAL FACET SIZE OF 1242.6MM

2 FACETS	INTERNAL WIDTH x 0.5774
3 FACETS	INTERNAL WIDTH x 0.4142
4 FACETS	INTERNAL WIDTH x 0.3249
5 FACETS	INTERNAL WIDTH x 0.2679
6 FACETS	INTERNAL WIDTH x 0.2282
7 FACETS	INTERNAL WIDTH x 0.1989
8 FACETS	INTERNAL WIDTH x 0.1763
9 FACETS	INTERNAL WIDTH x 0.1584
10 FACETS	INTERNAL WIDTH x 0.1437
11 FACETS	INTERNAL WIDTH x 0.1316
12 FACETS	INTERNAL WIDTH x 0.1214
13 FACETS	INTERNAL WIDTH x 0.1127
14 FACETS	INTERNAL WIDTH x 0.1051



HOW TO CALCULATE

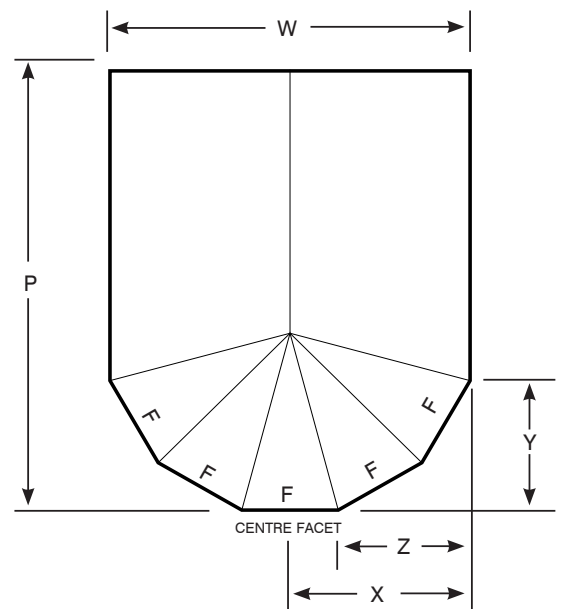
BAY PROJECTION - DIMENSION 'Y'

IF ODD NUMBER OF FACETS IS SELECTED (IE. 5, 7) THE BAY PROJECTION 'Y' AND DIMENSION 'Z' ARE THE SAME. IF EVEN NUMBER OF FACETS SELECTED (IE. 6, 8) FOR BAY PROJECTION 'Y' USE THE FORMULA BELOW.

ODD FACETS: BAY PROJECTION 'Y' = INTERNAL WIDTH - CENTRE FACET = $\div 2$ = Z OR Y

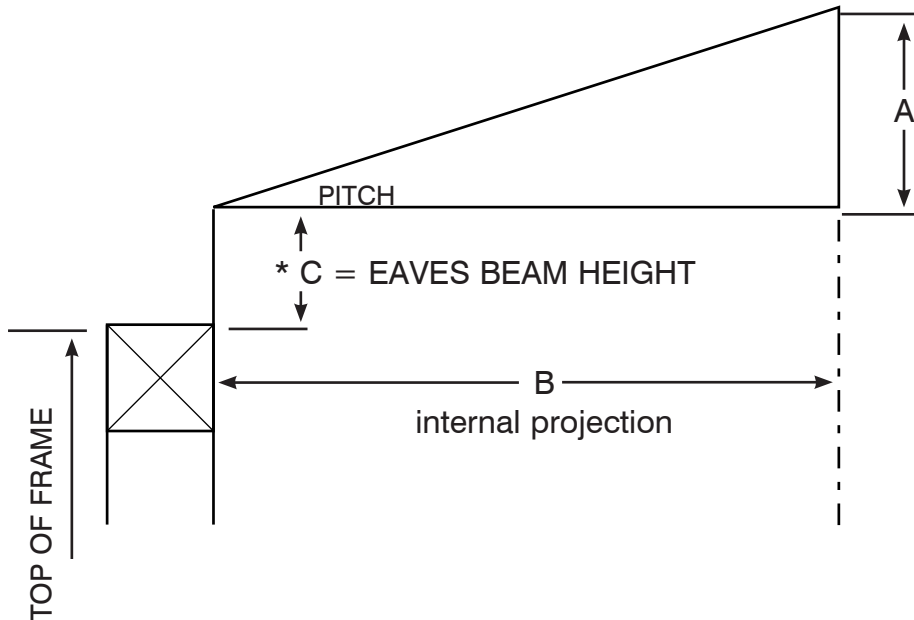
EVEN FACETS: BAY PROJECTION 'Y' =

2 FACETS	INTERNAL WIDTH x 0.2887
3 FACETS	INTERNAL WIDTH x 0.2929
4 FACETS	INTERNAL WIDTH x 0.3633
5 FACETS	INTERNAL WIDTH x 0.3660
6 FACETS	INTERNAL WIDTH x 0.3987
7 FACETS	INTERNAL WIDTH x 0.4005
8 FACETS	INTERNAL WIDTH x 0.4196
9 FACETS	INTERNAL WIDTH x 0.4208
10 FACETS	INTERNAL WIDTH x 0.4281
11 FACETS	INTERNAL WIDTH x 0.4342
12 FACETS	INTERNAL WIDTH x 0.4393
13 FACETS	INTERNAL WIDTH x 0.4436
14 FACETS	INTERNAL WIDTH x 0.4474



HOW TO CALCULATE

A LEAN-TO PITCH



EXAMPLE: PROJECTION 3000MM - PITCH 10° (MULTI EAVES)

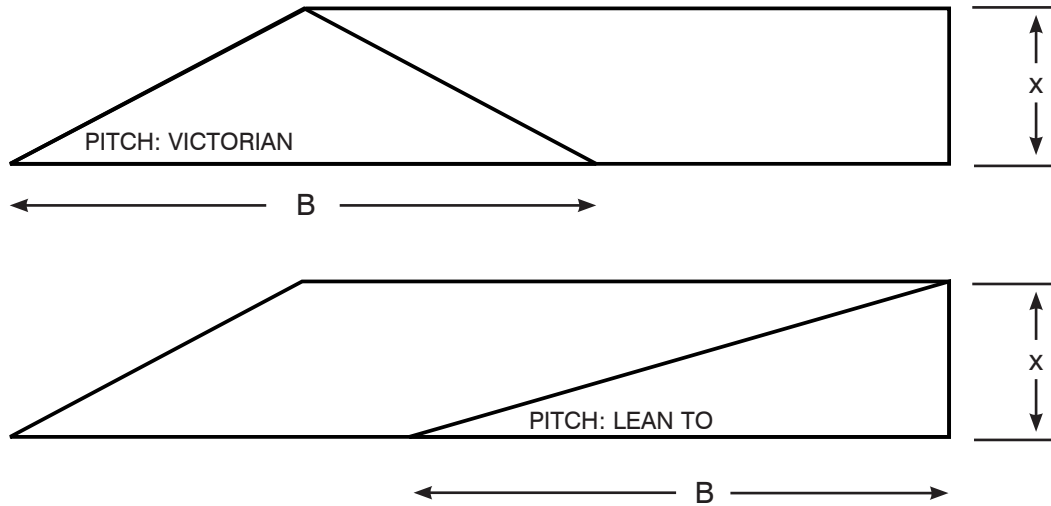
$$A = 3000 \times \tan 10^\circ = 528.9$$

$$A = 529\text{MM}$$

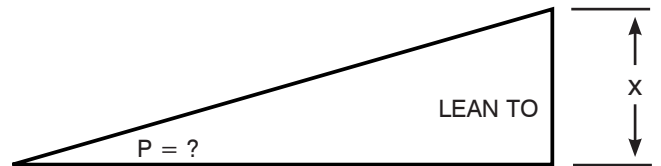
* C = EAVES BEAM HEIGHT	
MULTI EAVES BEAM	@ 5° AND 10° = 108MM
	@ 15°, 20° & 25° = 109MM
	@ 30° = 110MM

HOW TO CALCULATE

A LEAN-TO PITCH OFF A VICTORIAN PITCH
IE. ON P-SHAPE ROOF



EXAMPLE: VICTORIAN WIDTH 3000MM
VICTORIAN PITCH 25°
LEAN-TO PROJECTION 2500MM
LEAN-TO PITCH ?



TO FIND THE HEIGHT OF ROOF DIMENSION X:

$$\text{HALF VICTORIAN WIDTH} = 1500 \times \tan 25^\circ = 699$$

$$\text{HEIGHT } 699 \div \text{PROJECTION } 2500 = 0.2796$$

PRESS: PRESS 2ND F OR SHIFT OR INV (FOR TAN⁻¹) PRESS TAN (FOR TAN⁻¹) PRESS = (15.62°) 16°

PLEASE NOTE: THIS SEQUENCE VARIES DEPENDING UPON THE CALCULATOR USED.

1 UP 4 DOWN

MAIN RIDGE BODY RULES

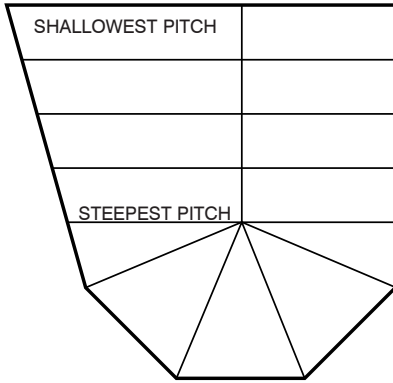
THERE ARE SIX STANDARD MAIN MK5 RIDGE BODIES 15° - 20° - 25° - 30° - 35° - 40°
EACH RIDGE BODY WILL ACCOMMODATE A 5° VARIATION IN PITCH. FOR EXAMPLE A
25° WILL GO UP 1° TO 26° AND WILL GO DOWN 4° TO 21°. IF LOWER, A 20° RIDGE BODY
WOULD GO UP TO 21° AND DOWN TO 16°.

THEREFORE: 15° RIDGE BODY - UP TO 15.9° - DOWN TO 15° **MINIMUM PITCH**
 20° RIDGE BODY - UP TO 20.9° - DOWN TO 16°
 25° RIDGE BODY - UP TO 25.9° - DOWN TO 21°
 30° RIDGE BODY - UP TO 30.9° - DOWN TO 26°
 35° RIDGE BODY - UP TO 35.9° - DOWN TO 31°
 40° RIDGE BODY - UP TO 40.9° - DOWN TO 36°

RIDGES 41° AND ABOVE ARE FABRICATED FROM SHEET METAL AND ARE REFERRED TO
AS MK1 RIDGES. RIDGES HAVE BEEN FABRICATED UP TO 55°, ALTHOUGH WE WOULD
NOT RECOMMEND RIDGES ABOVE 50°.

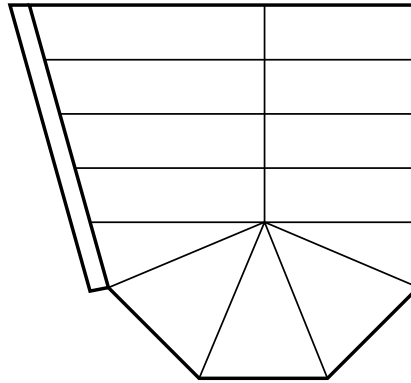
TAPERING EAVES BEAM OR BOX GUTTER

3 FACET VIC WITH TAPERING EAVES

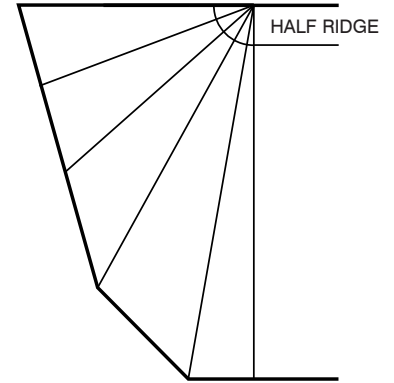


ALL GLAZING BARS ON THE LEFT SIDE OF THE ROOF ARE IN TWIST. CAN BE GLAZED IN POLYCARBONATE - NOT GLASS

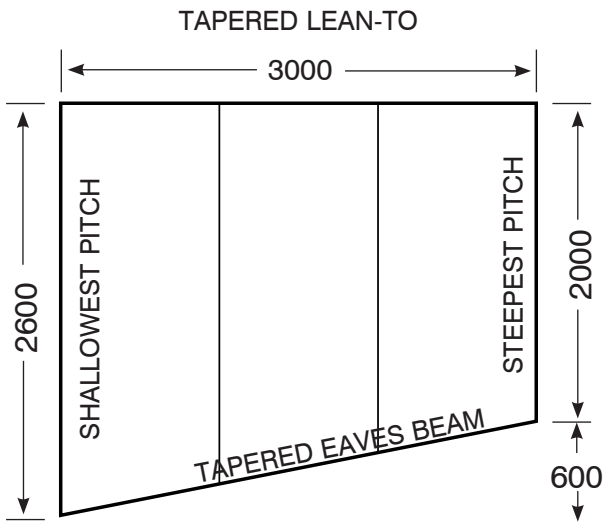
3 FACET VIC WITH TAPERING BOX GUTTER



GLAZING BARS LAY FLAT ON THE RIDGE BODY - THEN TWISTED TO LAY FLAT ON THE EAVES BEAM.



A PREFORMED SHEET METAL FABRICATED END IS SHAPED TO MINIMISE THE TWIST IN THE GLAZING BARS TO EAVES BEAM LOCATION.



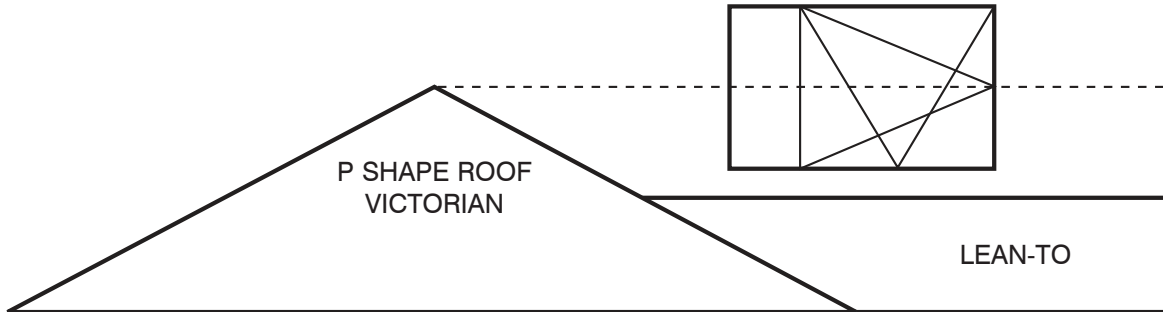
PLEASE NOTE:
THE MAXIMUM TAPER IS 200MM PER 1000MM

NB. TAKE CARE NOT TO EXCEED THE 1 UP 4 DOWN RULE EG. IF USING A 25 DEGREE RIDGE BODY AND THE SHALLOWEST PITCH IS 21° BUT THE STEEPEST PITCH EXCEEDS 26° THE DESIGN MUST BE ALTERED IE. A FABRICATED RIDGE WILL BE REQUIRED.

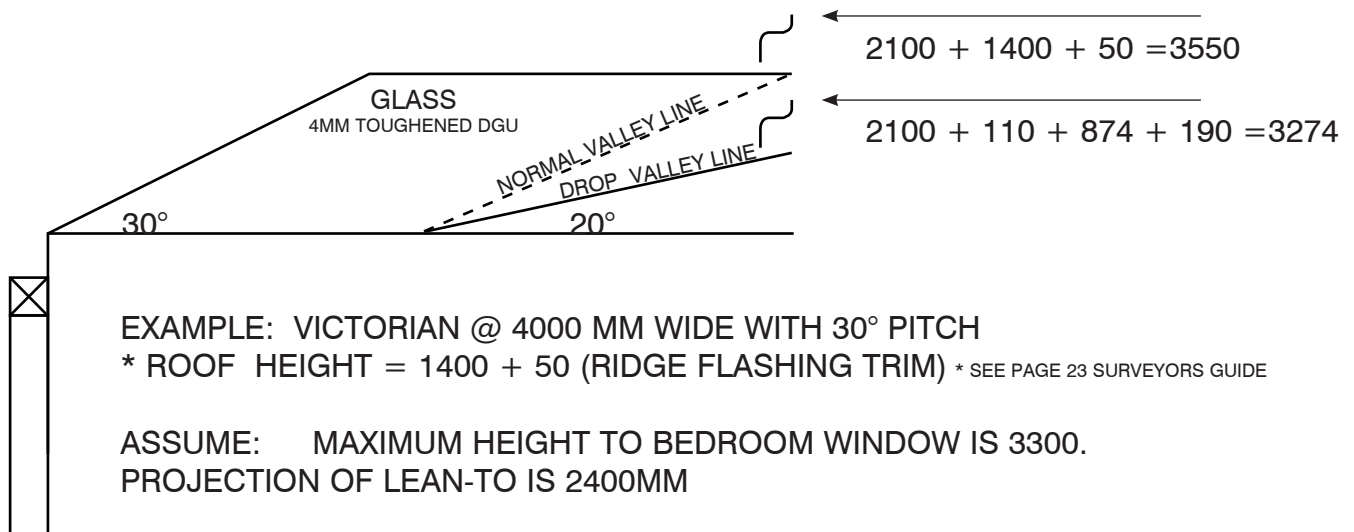
HOW TO CALCULATE

A DROP VALLEY PITCH

ALSO KNOWN AS A LOWERED VALLEY



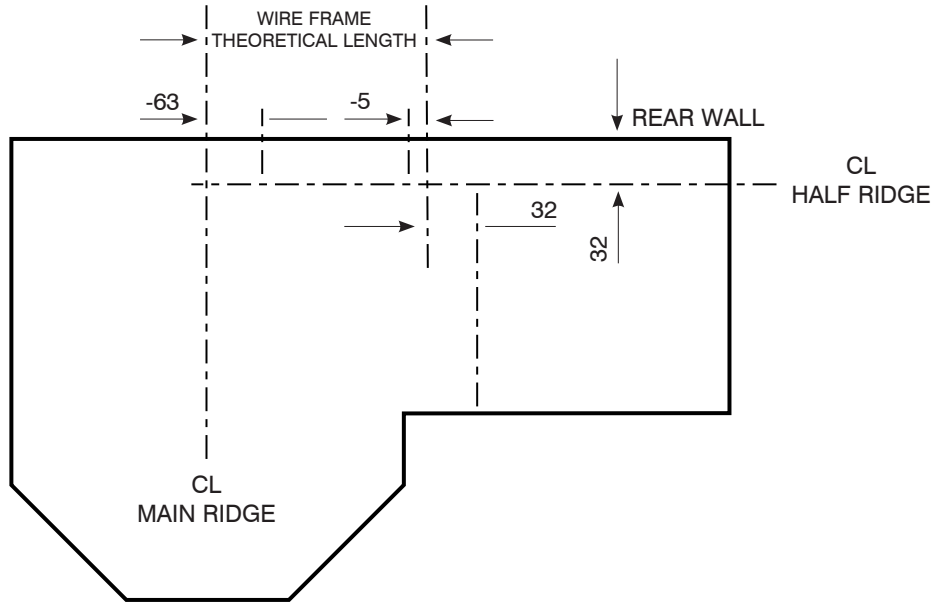
USUAL REASON FOR A LOWERED VALLEY IS A HEIGHT RESTRICTION AS ILLUSTRATED ABOVE



- FRAME HEIGHT = 2100
- EAVES HEIGHT = 110 (MULTI EAVES BEAM)
- 2400 X TAN 20° HEIGHT = 874
- **SERIES 7 BAR HEIGHT = 190 (TOP OF HALF RIDGE UPSTAND)
- OVERALL HEIGHT = 3274

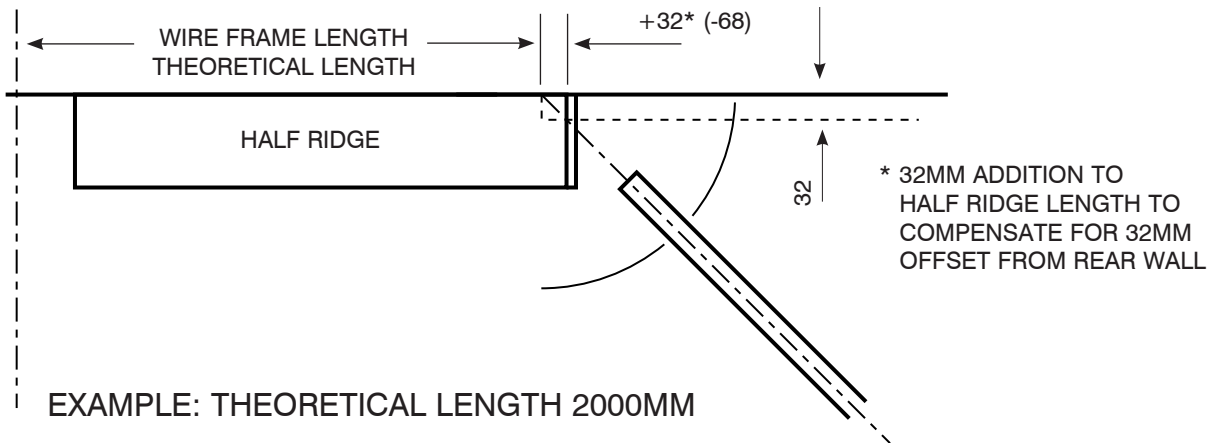
PLEASE NOTE: INSTALLATION LOCATION IS IMPORTANT: PLEASE REFER TO THE STRUCTURAL DESIGN GUIDE

HOW TO CALCULATE P SHAPE HALF RIDGE LENGTH WITH HIPPED END



-63 CENTRE LINE OF MAIN RIDGE TO START OF HALF RIDGE (MK5)

-5 HALF RIDGE REDUCTION TO ACCOMMODATE 5MM ADAPTOR PLATE

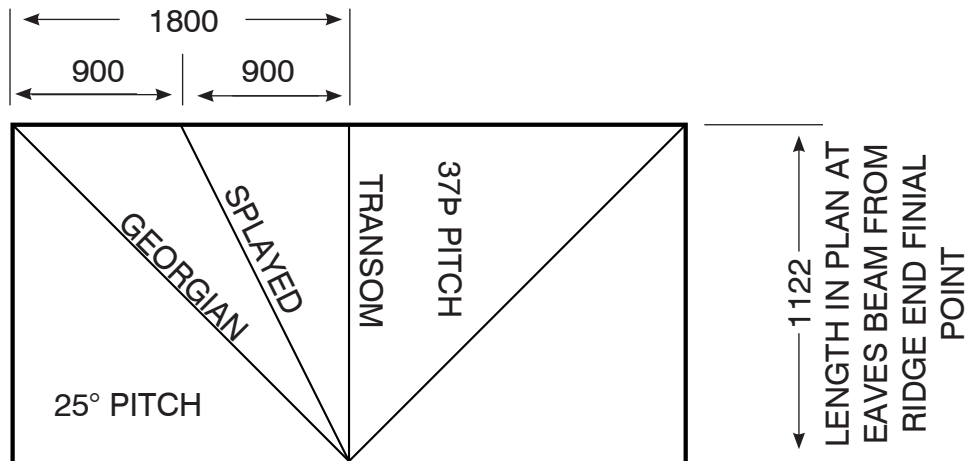


EXAMPLE: THEORETICAL LENGTH 2000MM

$$2000 + 32 - 68 = \text{CUT LENGTH } 1964$$

HOW TO CALCULATE WIRE FRAME GLAZING BAR LENGTHS

- * ACTUAL GLAZING BAR LENGTH WILL BE DETERMINED BY:
 A. REDUCTION FROM FINIAL POINT TO START OF BAR
 B. OVERHANG FROM INTERNAL FRAME



VICTORIAN HIP OR SPLAYED

$$1122 \div \cos 37^\circ = 1404.89$$

$$\text{PRESS } X^2 \text{ PRESS} = (1973733.357) + 900$$

(FROM CENTRE LINE TO SPLIT)

$$\text{PRESS } X^2 \text{ (SQUARED)}$$

$$\text{PRESS} = (2783733.357)$$

$$\text{PRESS} \div \text{(SQUARE ROOT)}$$

$$\text{PRESS} = 1668.45$$

GEORGIAN HIP

$$1122 \div \cos 37^\circ = 1404.89$$

$$\text{PRESS } X^2 \text{ PRESS} = (1973733.357) + 1800$$

(HALF INTERNAL WIDTH)

$$\text{PRESS } X^2 \text{ (SQUARED)}$$

$$\text{PRESS} = (5213733.357)$$

$$\text{PRESS} \div \text{(SQUARE ROOT)}$$

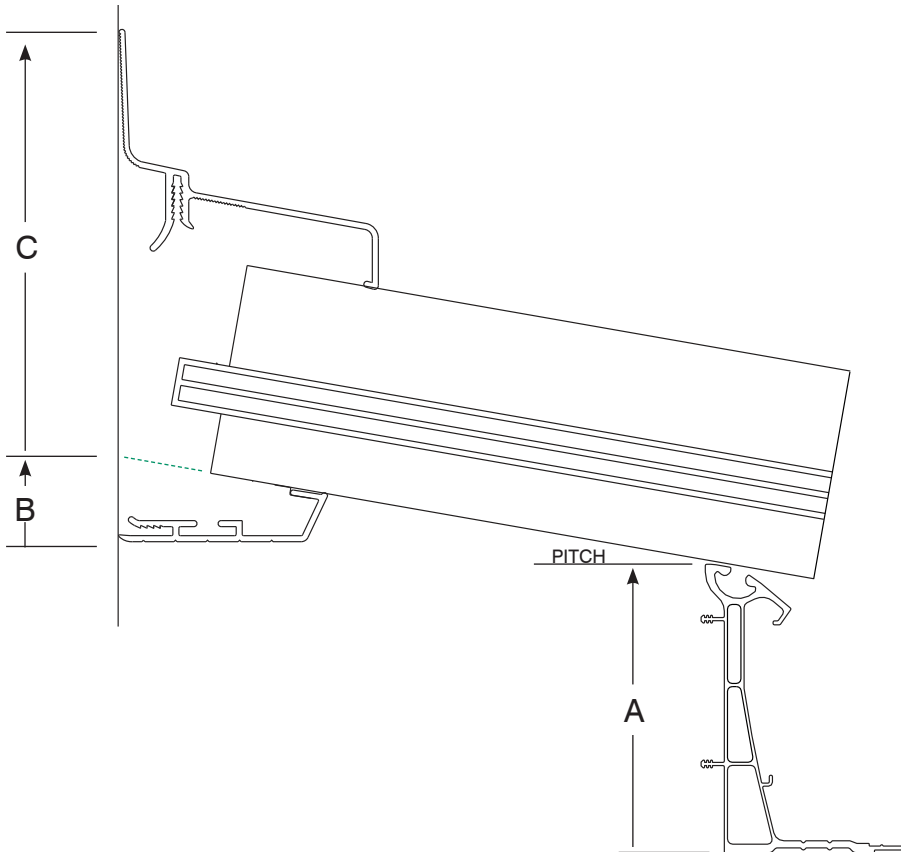
$$\text{PRESS} = 2283.36$$

TRANSOM BAR

$$1122 \div \cos 37^\circ = 1404.89$$

HOW TO CALCULATE VENTILATED WALL PLATE HEIGHTS

MINIMUM PITCH 5° TO MAXIMUM PITCH 30°



DIM A

5°	- 109MM
10°	- 109MM
15°	- 109MM
20°	- 109MM
25°	- 110MM
30°	- 111MM

DIM B

5°	- 25MM
10°	- 32MM
15°	- 35MM
20°	- 41MM
25°	- 47MM
30°	- 54MM

DIM C

BAR TYPE	CHAMBERED
5°	SERIES 7 168MM
10°	161MM
15°	156MM
20°	153MM
25°	150MM
30°	145MM

EXAMPLE: PROJECTION 3000MM - PITCH 20° - POLY - FRONT FRAME 2100MM

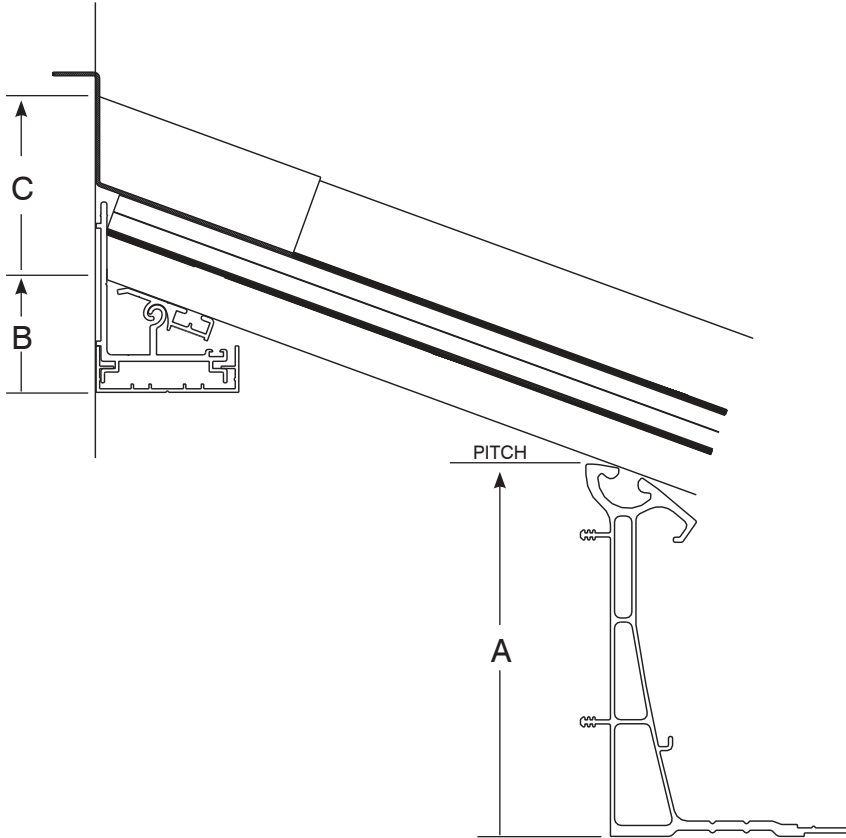
$3000 \times \tan 20^\circ = 1091.91$ (7 SERIES BAR)

FULL HEIGHT = $2100 + 109 + 1092 + 148 = 3449$

HEIGHT TO UNDERCLADDING = $2100 + 109 + 1092 - 41 = 3260$

HOW TO CALCULATE PWLA WALLPLATE HEIGHTS

MINIMUM PITCH 5° TO MAXIMUM PITCH 35°



DIM A

5° - 109MM
10° - 109MM
15° - 109MM
20° - 109MM
25° - 110MM
30° - 111MM
35° - 112MM

DIM B

5° - 26MM
10° - 30MM
15° - 46MM
20° - 48MM
25° - 51MM
30° - 54MM
35° - 58MM

DIM C

BAR TYPE

5°
10°
15°
20°
25°
30°
35°

CHAMBERED SERIES 7

84
84
86
88
91
96
100

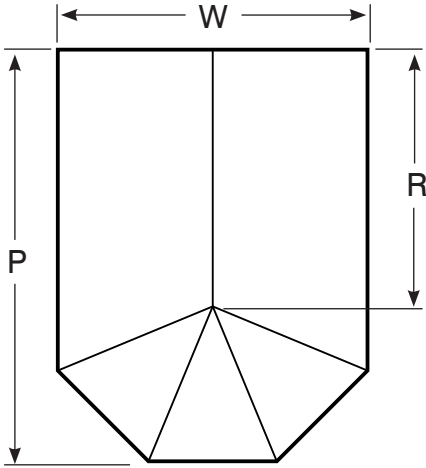
EXAMPLE: PROJECTION 3000MM - PITCH 20° - POLY - FRONT FRAME 2100MM

$3000 \times \tan 20^\circ = 1091.917 + \text{SERIES BAR}$

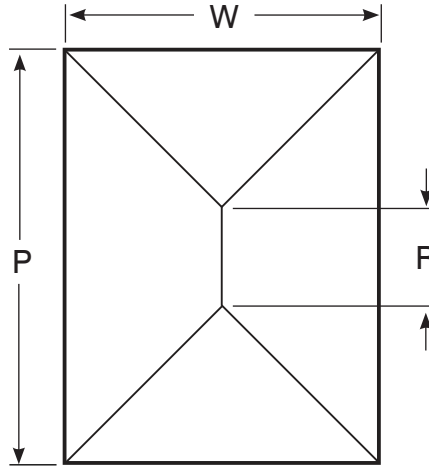
FULL HEIGHT = $2100 + 109 + 1092 + 83 = 3384$

HEIGHT TO UNDERCLADDING = $2100 + 109 + 1092 - 48 = 3253$

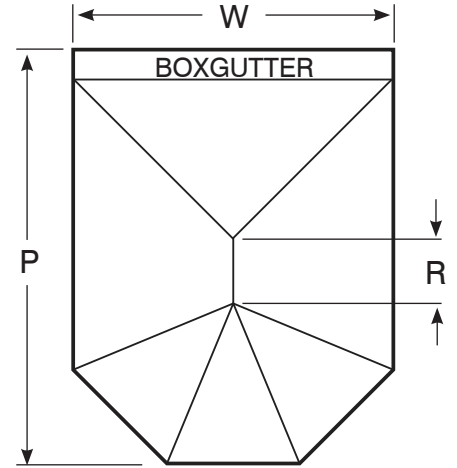
HOW TO CALCULATE RIDGE LENGTHS



SINGLE ENDED RIDGE
 $R = P - 1/2 \text{ WIDTH}$
 EXAMPLE: $P = 4000$
 $W = 4000$
 THEREFORE $R = 4000 - 2000$
 RIDGE LENGTH = 2000MM



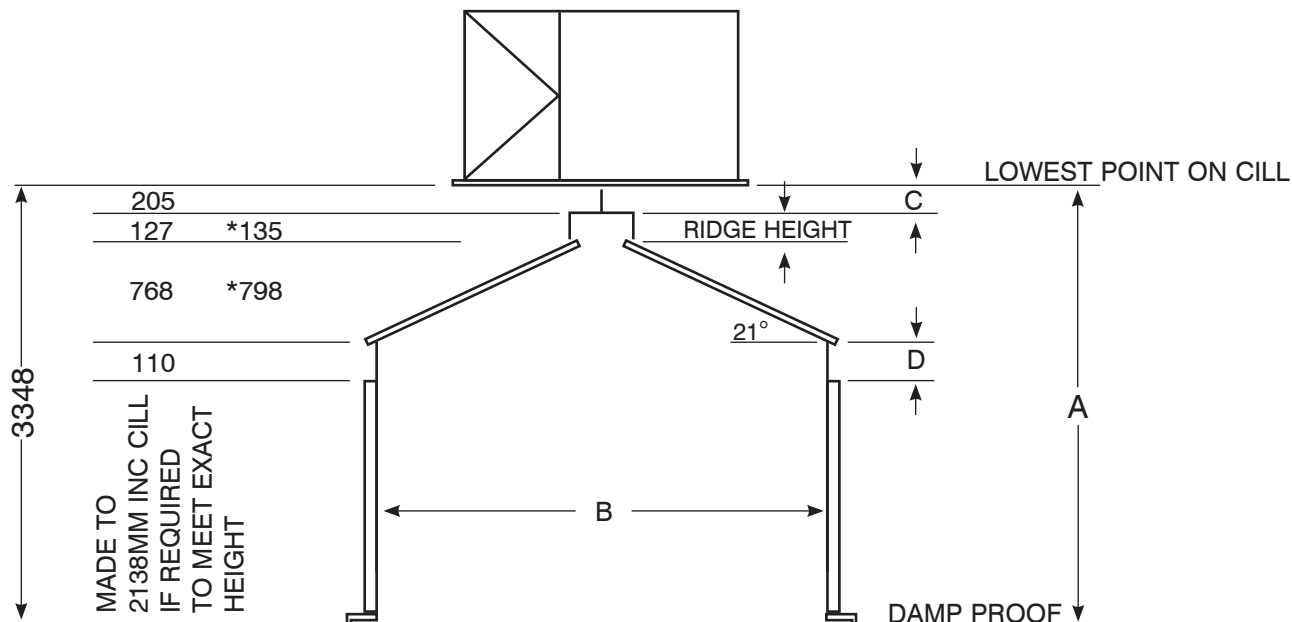
DOUBLE ENDED RIDGE
 $R = P - W$ (IF P IS
 GREATER THAN W) NOTE:
 IF W IS GREATER THAN P,
 THE RIDGE WOULD RUN
 PARALLEL TO W
 EXAMPLE: $P = 5000$
 $W = 4000$
 THEREFORE $R = 5000 - 4000$
 RIDGE LENGTH = 1000MM



DOUBLE ENDED RIDGE
 WITH BOXGUTTER
 $R = P - \text{BOXGUTTER}$
 $\text{WIDTH} - \text{WIDTH}$
 EXAMPLE: $P = 5165$, $W = 4000$.
 THEREFORE $P - \text{BOXGUTTER}$
 $\text{WIDTH} = 5165 - 165 = 5000$
 $\text{RIDGE} = 5000 - 4000$
 RIDGE LENGTH = 1000MM

HOW TO CALCULATE

PITCH AND HEIGHT OF A CONSERVATORY WHEN GIVEN AN EXACT HEIGHT RESTRICTION



DIMENSION A: GIVEN
 DIMENSION 3348 FROM
 BEDROOM CILL TO DPC
 DIMENSION B: GIVEN
 DIMENSION 4000MM INTERNAL
 WIDTH
 GLAZING MATERIAL:
 POLYCARBONATE
 GLAZING BAR: SERIES 7
 DIMENSION C: CRESTING
 SELECTED: CLASSIC = 205MM
 DIMENSION D: MULTI EAVES
 BEAM HEIGHT = 110MM

3348 HEIGHT RESTRICTION
 2100 INDUSTRY STANDARD
 FRAME HEIGHT
 110 EAVES BEAM HEIGHT
 205 CLASSIC CRESTING HEIGHT
 154* MAX HEIGHT OF RIDGE
 FOR 7 SERIES BAR

$\therefore 3348 - 2100 - 110 - 205 - 154 =$
 $779 \div 2000$ (HALF INT. WIDTH)
 $= 0.389$
 PRESS SHIFT OR INV - PRESS
 TAN (FOR TAN⁻¹) = 21.28°

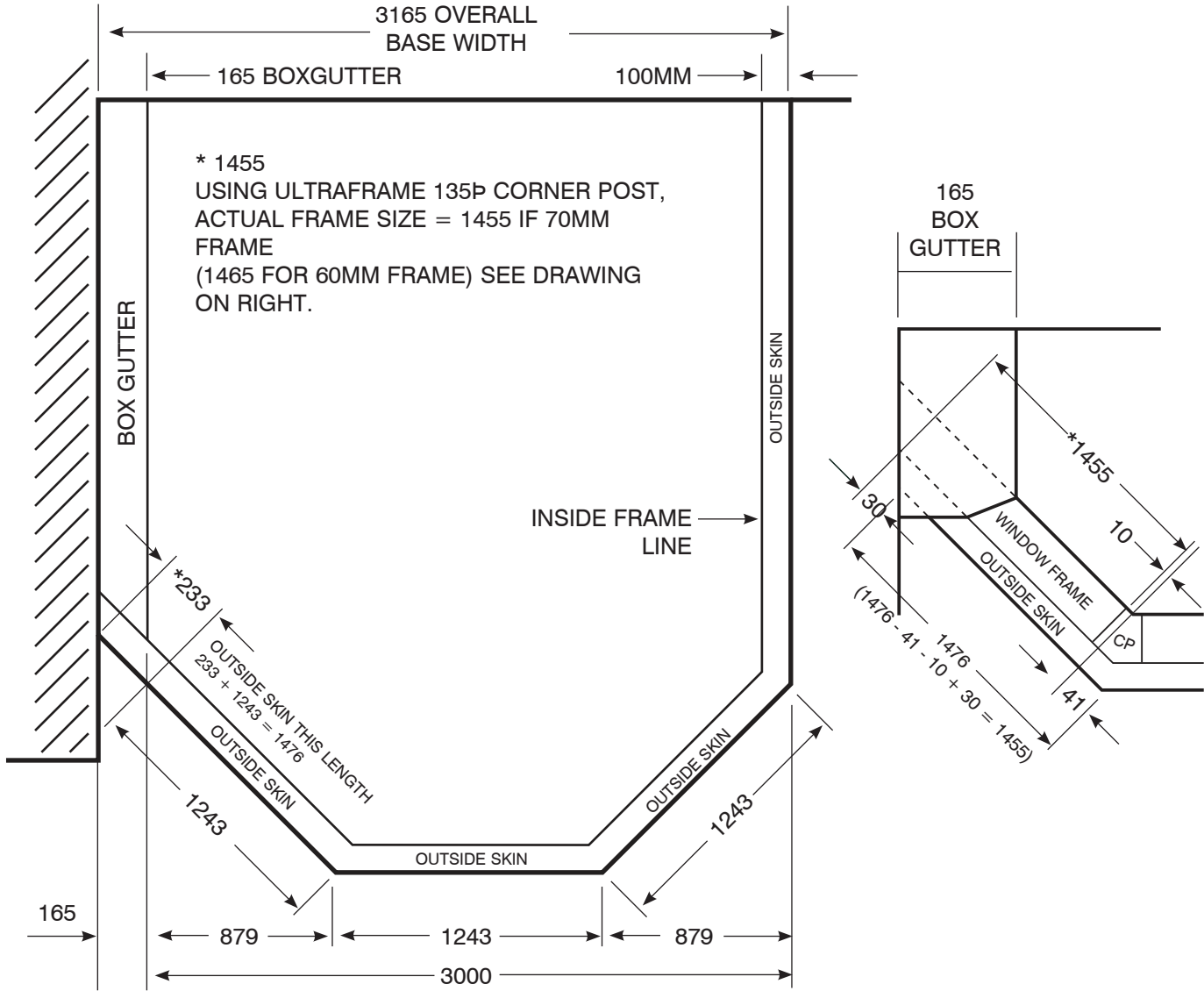
*ASSUMED MAX DIMENSION
 154MM
 SERIES 7 BAR @ 15°
 ACTUAL DIMENSION @ PITCH
 OF 21.28° WOULD BE 146MM
 THEREFORE 779 WOULD
 REDUCE TO 771MM
 $\therefore 771 \div 2000 = 0.385$ PRESS
 2ND F OR SHIFT THEN TAN =
 21.08°
 EXACT PITCH = 21.08°
 PRACTICAL PITCH = 21°
 (2000 X TAN 21° = 768MM)
 SEE DIAGRAM FOR EXACT HEIGHTS

NOTE: DIMENSIONS BASED
 ON SERIES 7 BAR WITH
 CHAMBERED CAPPINGS

PRESS 2ND F OR SHIFT OR INV

HOW TO CALCULATE

EXTERNAL BASE & INTERNAL FRAME SIZES - WHEN COMING OFF A WALL



* 233 CALCULATED FROM $165 \div \text{COS } 45 = 233$

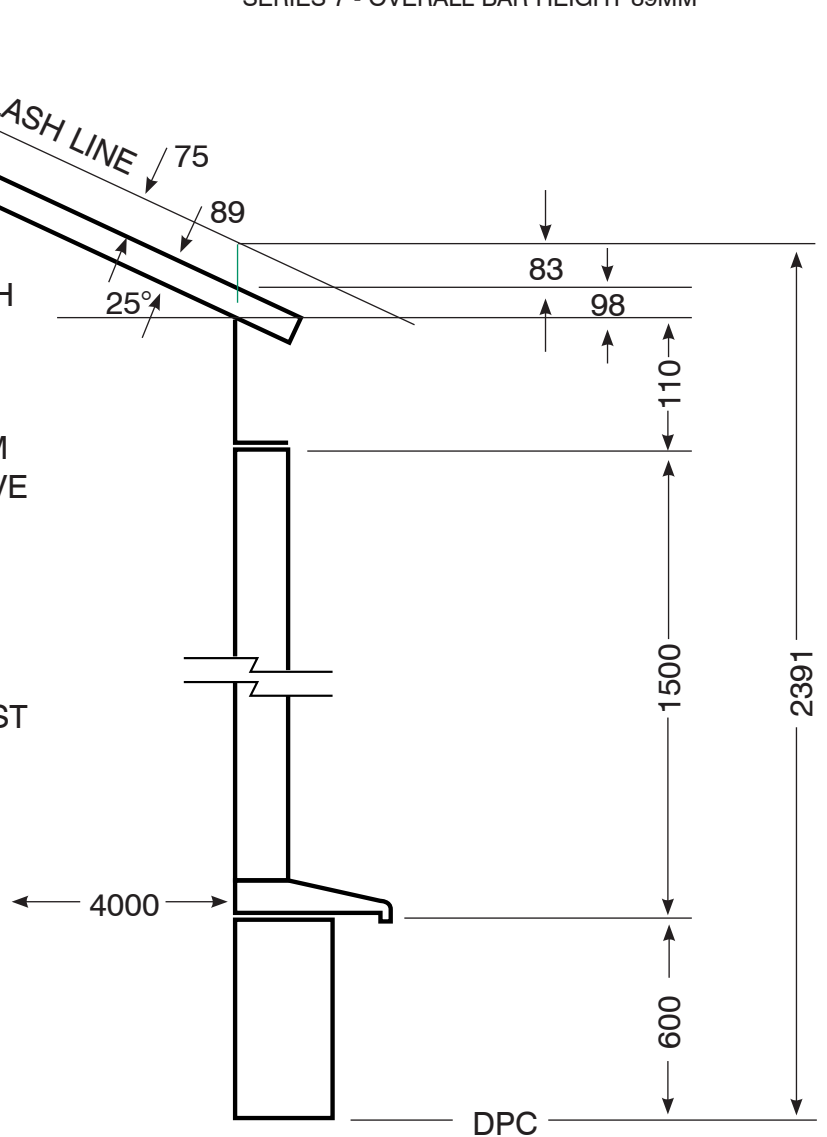
HOW TO CALCULATE

TOTAL HEIGHT OF ROOF ABOVE EAVES FOR LEAD FLASHING RUN

SERIES 7 - OVERALL BAR HEIGHT 89MM

EXAMPLE: 4000MM INTERNAL WIDTH
 @ 25° PITCH GLAZED WITH GLASS.
 * SERIES 7 GLAZING BAR - HEIGHT
 INC CAPPINGS = 89MM
 $\therefore 89 \div \cos 25^\circ = 98.20\text{MM} = 98\text{MM}$
 LEAD LINE = 75MM PARALLEL ABOVE
 STARTER BAR CAPPING
 $\therefore 75 \div \cos 25^\circ = 82.7\text{MM} = 83\text{MM}$

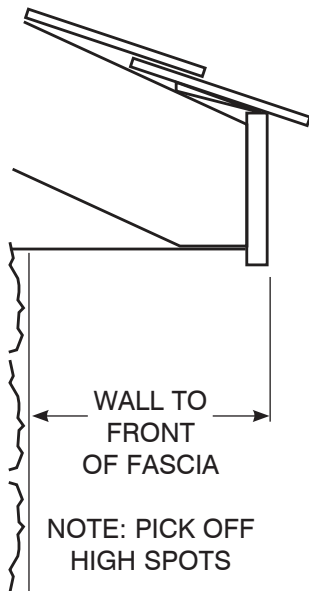
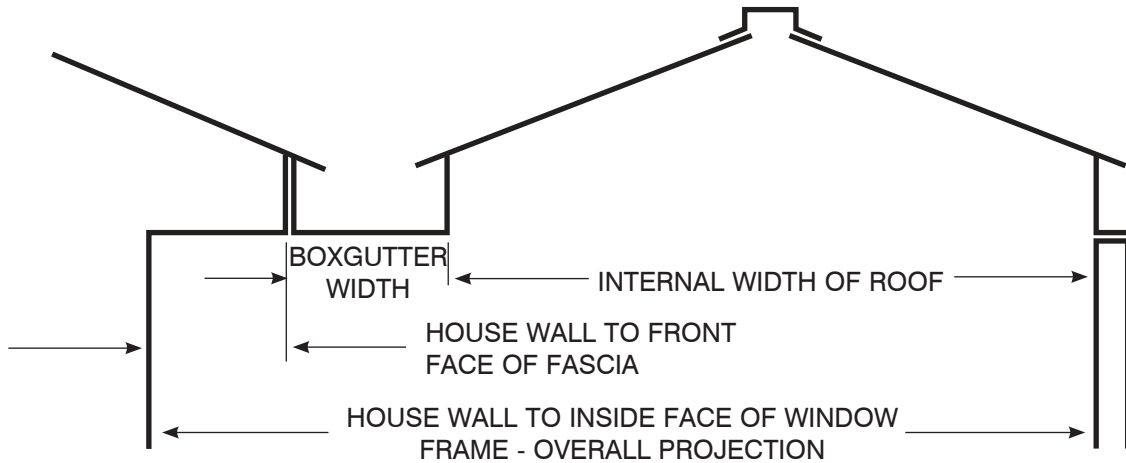
NOTE: LEAD FLASHING LINE ALSO
 USED FOR CAVITY TRAYS SO THAT
 THE CORNER OF THE TRAY NEAREST
 THE ROOF IS 75MM OFF THE
 FINISHED ROOF LINE.



NOTE: DIMENSIONS BASED
 ON SERIES 7 BAR WITH STD
 CHAMBERED CAPPINGS

HOW TO CALCULATE

THE ROOF SIZE (PROJECTION) IF FITTING A BOXGUTTER TO A BUNGALOW FASCIA

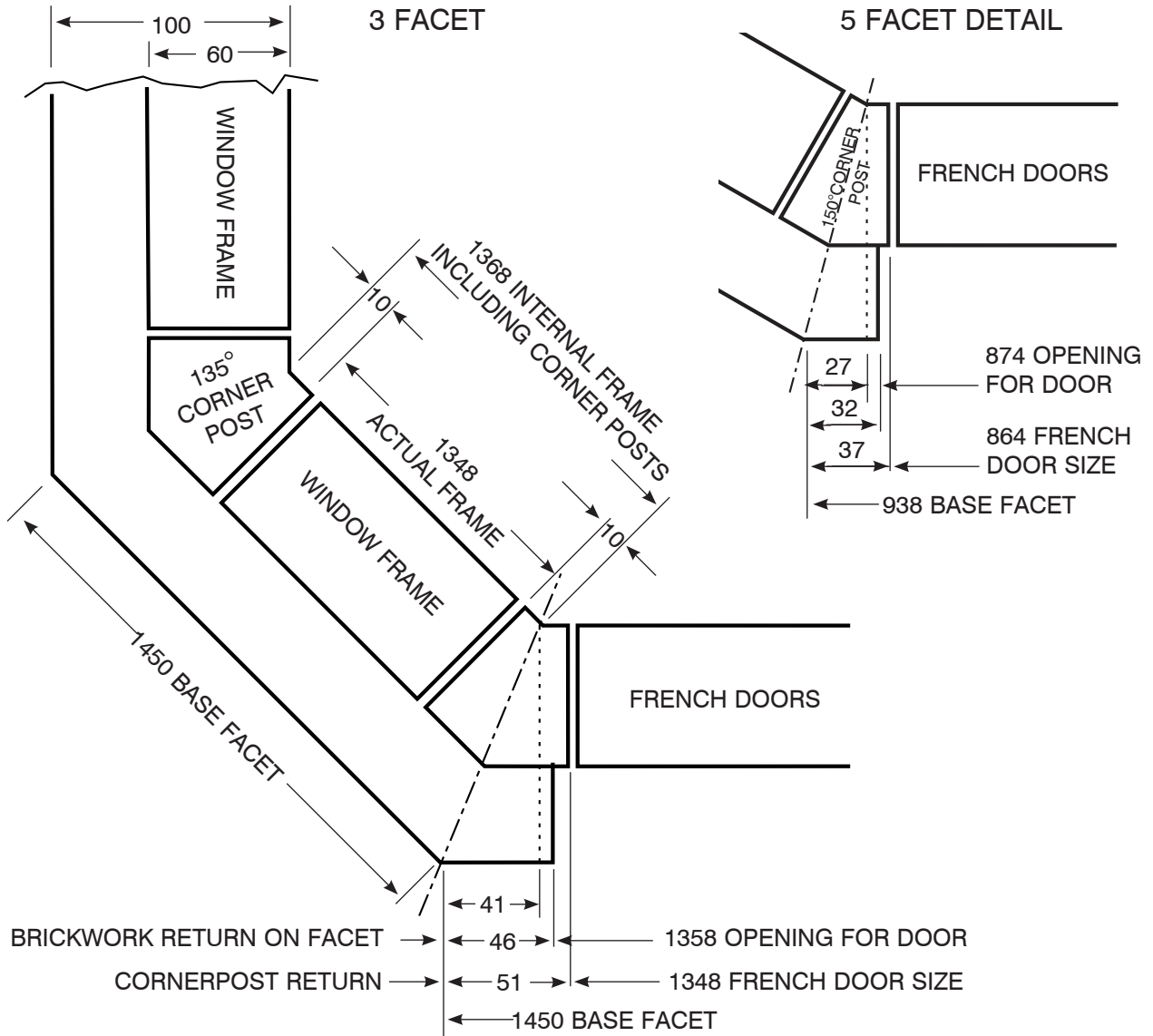


EXAMPLE: OVERALL PROJECTION 4000MM
WALL TO FRONT OF FASCIA 235MM
BOXGUTTER WIDTH 265MM
ACTUAL INTERNAL ROOF DIMENSION =
 $4000 - (235 + 265) = 3500\text{MM}$

ROOF SIZE = 3500MM

HOW TO CALCULATE

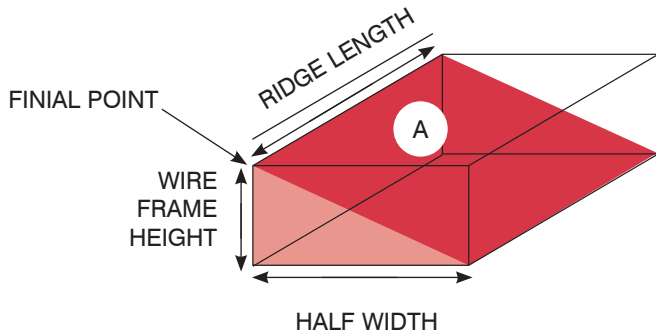
A DOOR OPENING ON A BRICKWORK 3 AND 5 FACET USING THE ULTRAFRAME CORNERPOST SYSTEM



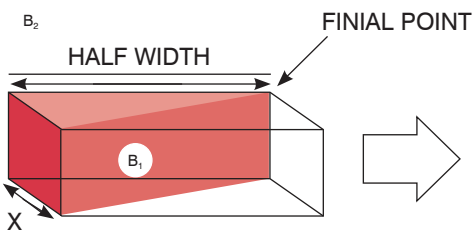
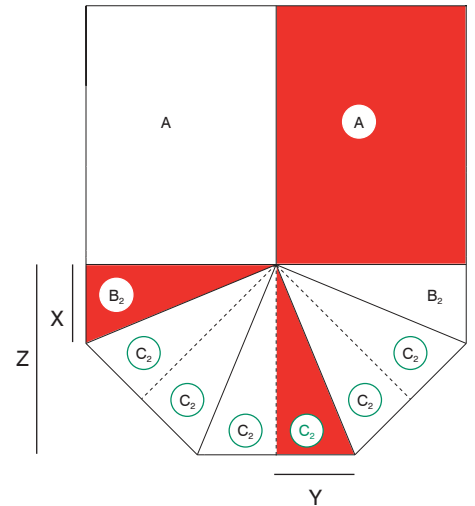
HOW TO CALCULATE

THE TOTAL VOLUME OF A VICTORIAN ROOF

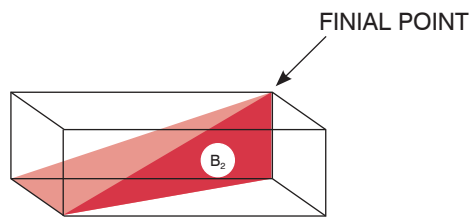
$$\text{THE TOTAL ROOF VOLUME} = (2 \times A) + (2 \times B_2) + (6 \times C_2)$$



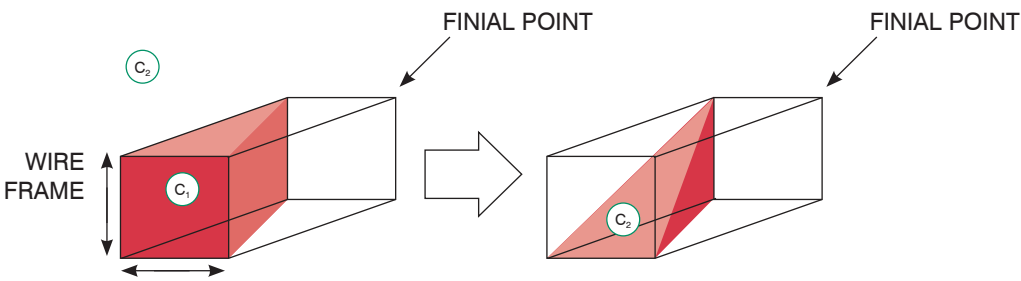
$$\text{Volume A} = \frac{\text{ridge length} \times \text{wire frame height} \times \text{half the width}}{2}$$



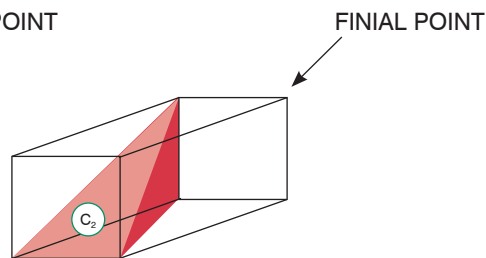
$$\text{Volume B}_1 = \frac{\text{half the width} \times \text{wire frame height} \times 'X'}{2}$$



$$\text{Volume B}_2 = \frac{\text{Volume B}_1}{2}$$



$$\text{Volume C}_1 = \frac{'Y' \times \text{wire frame height} \times 'Z'}{2}$$



$$\text{Volume C}_2 = \frac{\text{Volume C}_1}{2}$$

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